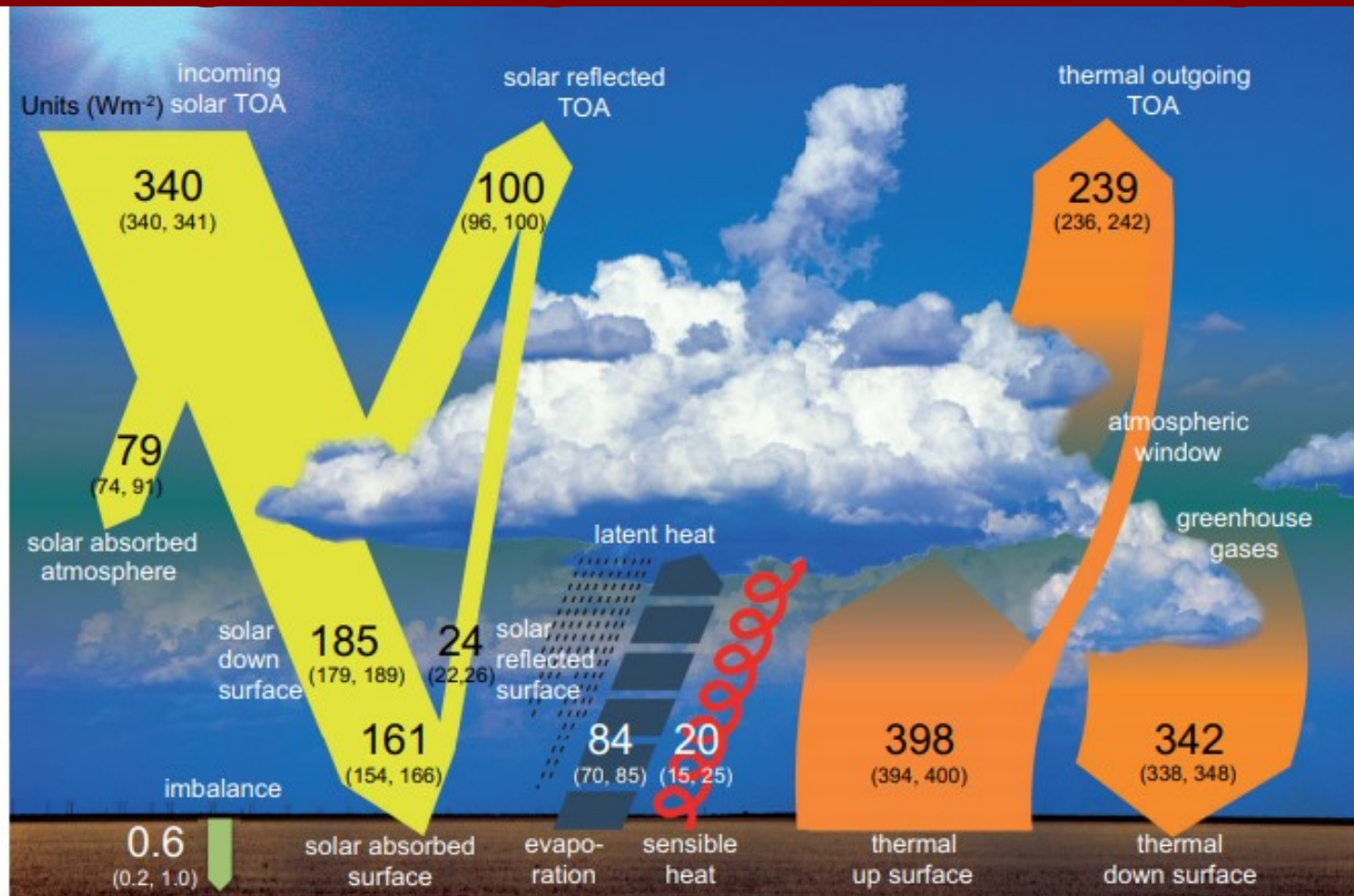


Global Warming Physics for Solar Geoengineering in Albedo Mitigation



Alec Feinberg, Ph.D., DfRSoft

Dr. Alec Feinberg, DfRSoft

August 2020

Outline for Reversing Global Warming

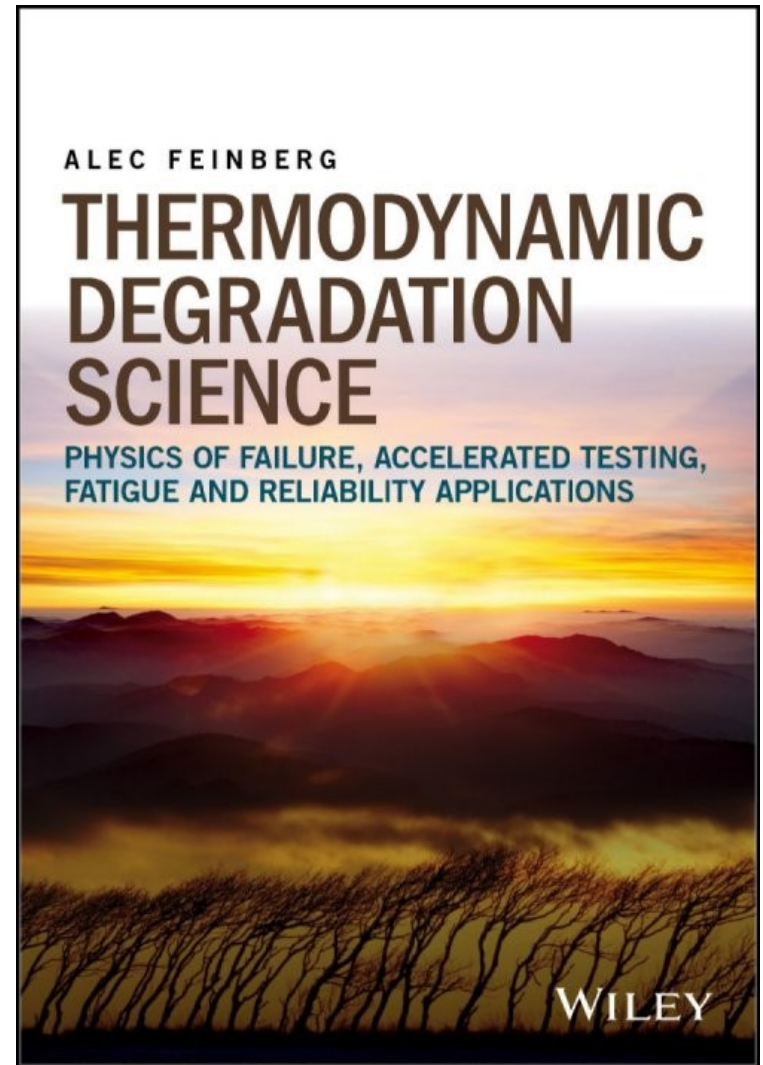
Subject

Slide Number

- My References (about Dr. Feinberg)
- Basic Global Warming Model
- Solar Geoengineering – Energy Absorption
- Energy Budget 1950
- Understanding f_1
- Energy Budget 2019 & Physics Model with Forcing and Feedback
- The Albedo-Planck or Gama Parameter
- Predicting Using the GW Reversal Model
- Introduction to reversing global warming geoengineering model
- Combined Albedo and Reversal Model

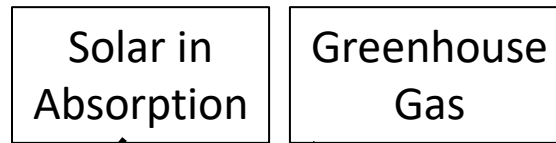
Albedo Work on GW

- Dr. Feinberg's Recent Papers:
- Feinberg, A. **Urban Heat Island Amplification Estimates on Global Warming Using an Albedo Model.** *SN Appl. Sci.* **2**, 2178 (2020).
<https://doi.org/10.1007/s42452-020-03889-3>
- **Currently in Peer Review (References for Slides)**
- Research Gate:
- **On Geoengineering and Implementing an Albedo Solution with Urban Heat Islands Global Warming and Cooling Estimates,**
 - Preprint (submitted) vixra 2006.0198, Research Gate: DOI: 10.13140/RG.2.2.26006.37444/4
- **A Re-radiation Model for the Earth's Energy Budget and the Albedo Advantage in Global Warming Mitigation**
- https://www.researchgate.net/publication/345506635_A_Re-radiation_Model_for_the_Earth's_Energy_Budget_and_the_Albedo_Advantage_in_Global_Warming_Mitigation



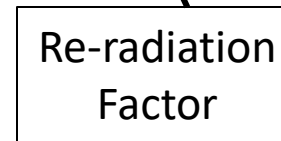
Geoengineering Physics Model

- No Forcing



$$P_{Total\ 2019} = P_{\alpha} + P_{GHG} = P_{\alpha} (1 + f_1) = \sigma T^4$$

- Forcing



$$P_{Total\ 2019} = P_{\alpha'} + P_{GHG'} = P_{\alpha'} (1 + f_2)$$

- Feedback Amplification Factor A_F

$$P_{Total\ 2019\ \&\ Feedback} = P_{1950} + (P_{2019} - P_{1950}) A_F = \sigma T_S^4$$

Physics Modeling on Changes

Basic GW Physics

•1950

- Average Temp=57F
- Earth Albedo 30.08%
- 57F GHGs

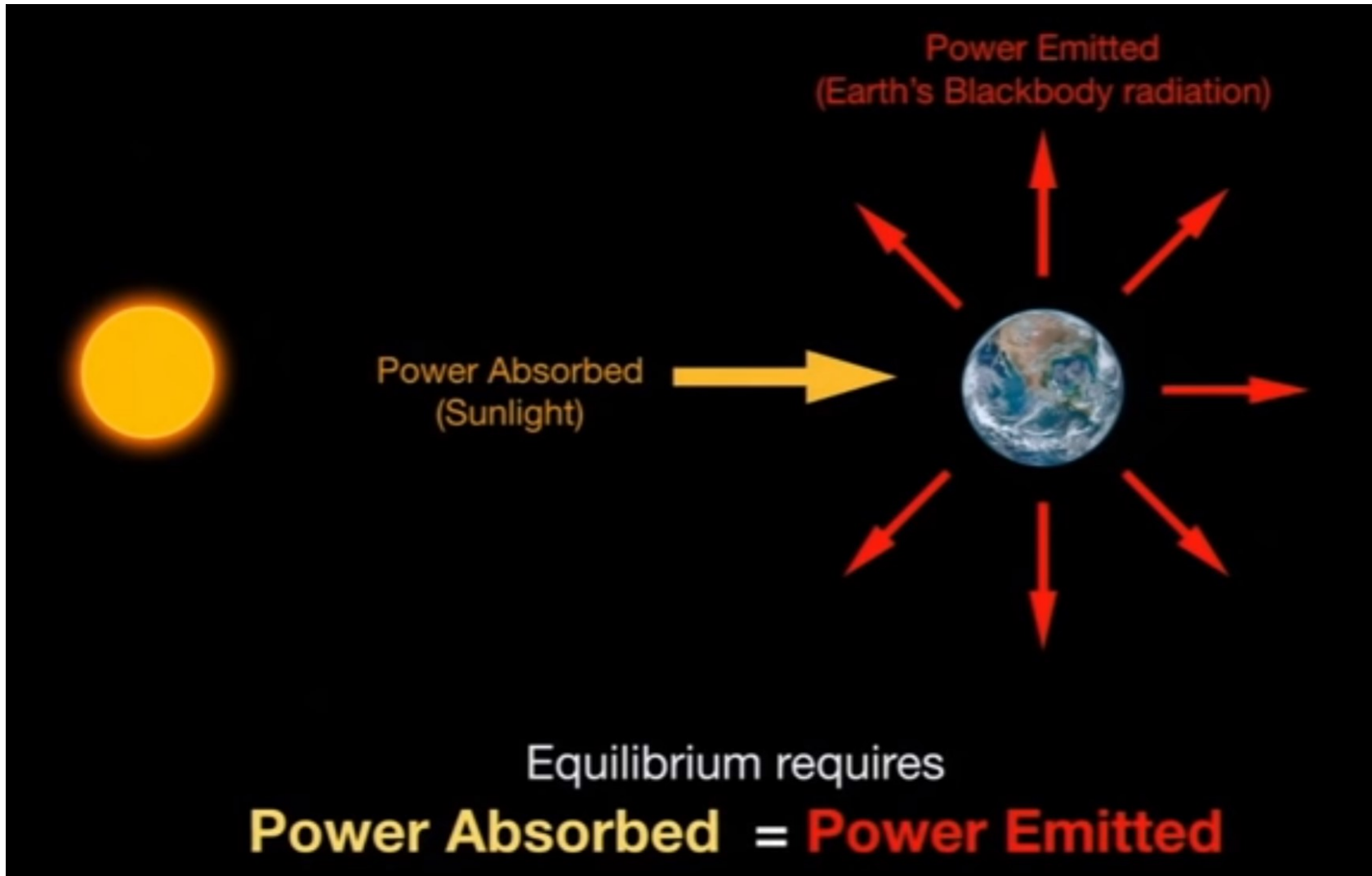
2019-2020

- Average Temp=58.73F
- Earth Albedo 30.035%
- 58.73F GHGs & Feedback

Global Warming Forcing & Feedback 1950 to 2019

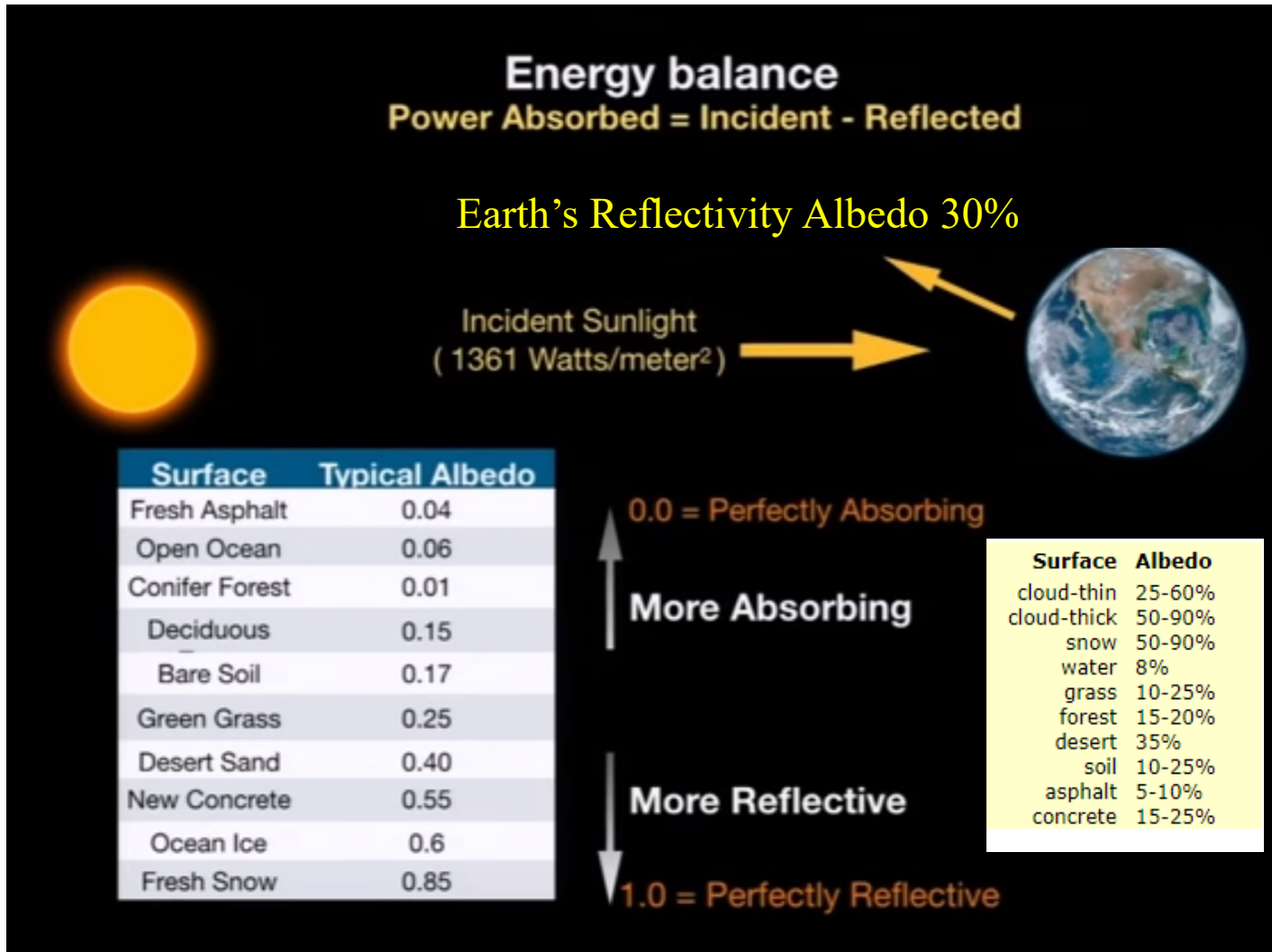
| | |
|---|--|
| Global Warming Causes → | Population Increase Causes → Forcing Increases in Greenhouse Gas Albedo Decrease - Expanding Urban Heat Islands (UHI) & Roads |
| Global Warming Feedback Amplification Effects → | Response to forcing: Ice and Snow Melting – Albedo Feedback Water-Vapor Feedback, Lapse Rate Feedback, Cloud Feedback, etc. |

Modeling Energy Absorbed



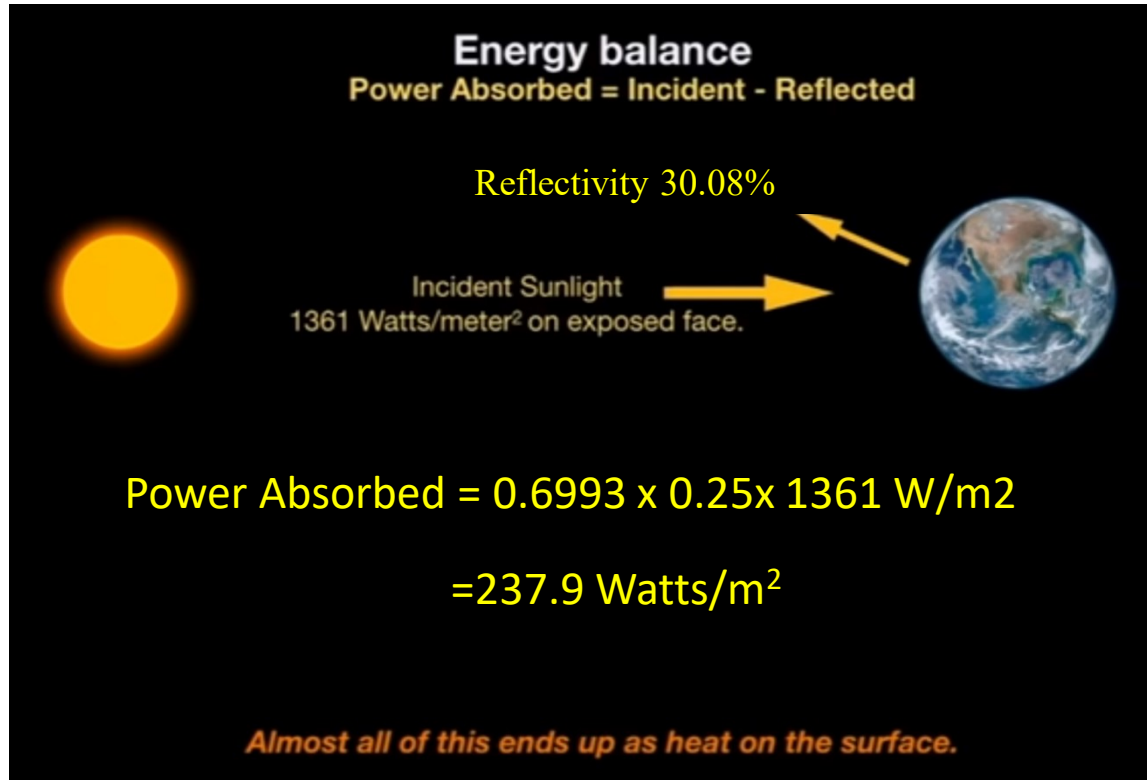
Earth's Albedo Effect

Earth's Albedo Effect - a measure of how much solar radiation is reflected from Earth's surface. Earth Average in 1950 was 30%



Energy Balance Calculation 1950

(No Greenhouse Gases)



- ❖ $\frac{1}{2}$ of Earth is irradiated, another $\frac{1}{2}$ is lost due to sphere effect
Percent available for absorbed is then $\frac{1}{4}$
- ❖ Average Earth Albedo is 0.29 – Reflectivity (see References)
Dr. Alec Feinberg, DfRSoft

Energy Budget Temperature 1950 Without Greenhouse Effect

Energy balance
Power Emitted = Power Absorbed

From outer space, on average
Earth must look like a blackbody
that satisfies

$$E = \sigma T^4 = 237.9 \text{ W/m}^2$$

$$T = 254.5 \text{ K} \sim 0.2^\circ \text{F Cold}$$



*(but obviously the surface is much warmer...
thanks to the greenhouse effect!)*

$$E = \sigma T^4 = 237.9 \text{ W/m}^2$$

$$\sigma = 5.670367 \times 10^{-8} \text{ W} \cdot \text{m}^{-2} \cdot \text{K}^{-4}$$

$$T^4 = 237.9 \text{ W/m}^2 / 5.67 \text{E-}8$$

$$T = 254.5 \text{ K} \sim 0.2^\circ \text{F Cold}$$

Basic Physic Simplified 1950

$$\text{Earth Heating} = P_{\text{total}} = (1+f_1) P_{\alpha} = 1.618 P_{\alpha}$$

Where (Assume No Global Warming in 1950)

- P_{α} = absorbed Solar radiation
= So { 0.25 x (1-Albedo) } = **340.25 W/m²** { (1-0.3008) } = **237.903 W/m²**
- $P_{\text{GHG}} = f_1 P_{\alpha}$, **f_1 is a re-radiation factor (0.618= β^4)**
 β =effective emissivity constant of the planetary system
- $P_{\text{total}} = (1+f_1) P_{\alpha} = P_{\alpha} + P_{\text{GHG}} = 384.9267 \text{ W/m}^2 = \sigma T^4$
- **$T = 287.04^{\circ}\text{K} = 13.89^{\circ}\text{C} = 57^{\circ}\text{F}$ for 1950** $\sigma = 5.670367 \times 10^{-8} \text{ W} \cdot \text{m}^{-2} \cdot \text{K}^{-4}$

Sun Incoming Energy So = 1361 W/m²

Albedo = 0.3008 (in 1950, see references at end for this number)

0.25 Average fraction of Sun light illuminating Earth at any time

f = Frac. GHG Power Emitted Back = Obtained at 57°F for 1950

Put this in Excel

1950 Results

| Year | Surface Temp (K) | Surface Temp (C) | Surface Temp (F) | f1 f2 | Alpha 1950 | Power Absorbed 1361/4(1-albedo) W/m ² | Temperature Without GHGs Albedo (K) | GHG Power (W/m ²) | Total Power GHG (W/m ²) |
|-------------|------------------|------------------|------------------|---------------|---------------|--|--|-------------------------------|-------------------------------------|
| 1950 | 287.040 | 13.890 | 57.001 | 0.6180 | 0.3008 | 237.9028 | 254.51 | 147.0239 | 384.9267 |

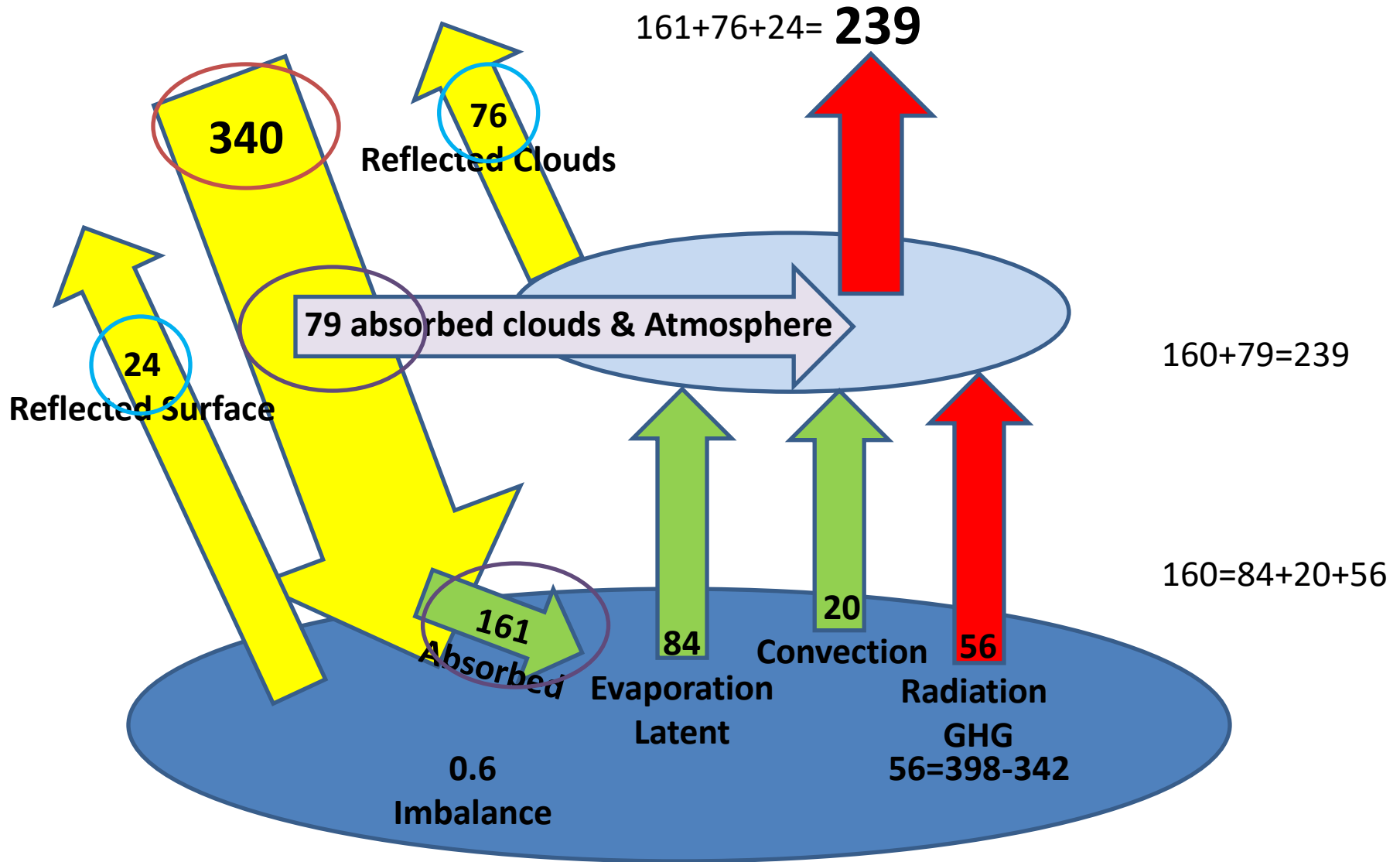
Model Constants

| | |
|-------|----------|
| f1 | 0.618 |
| Sigma | 5.67E-08 |
| So/4 | 340.25 |

First Look at Some Key IPCC Earth Energy Budget Albedo Values

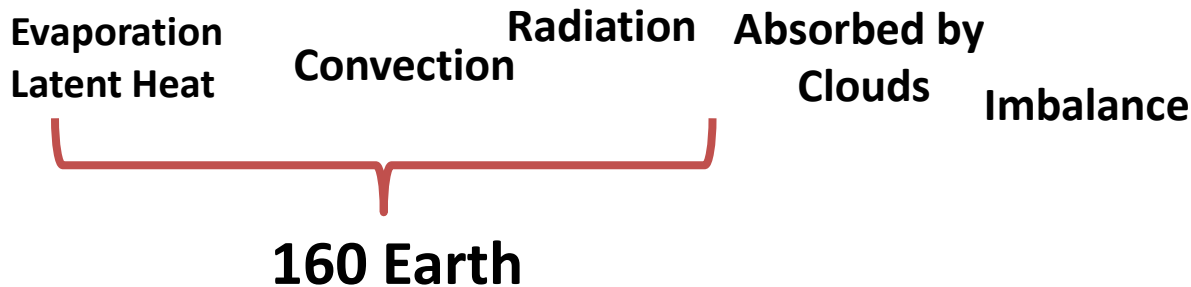
- $340 \text{ W/m}^2 = 1361 \text{ W/m}^2 \times 0.25$
- Sunlight Reflected = 24 Earth Surface + 76 Clouds
= 100 W/m^2
- Albedo = $100/340 = 29.4118\% \checkmark$
 - Albedo of Clouds = $76/340 = 22\%$
 - Albedo of Earth = $24/340 = 7\%$
 - We are using 30% in 1950
- **$340 - 100 = 240 \text{ W/m}^2$ is absorbed in & radiated out 240 in and 240 out**

Simplified Diagram of 2013 IPCC

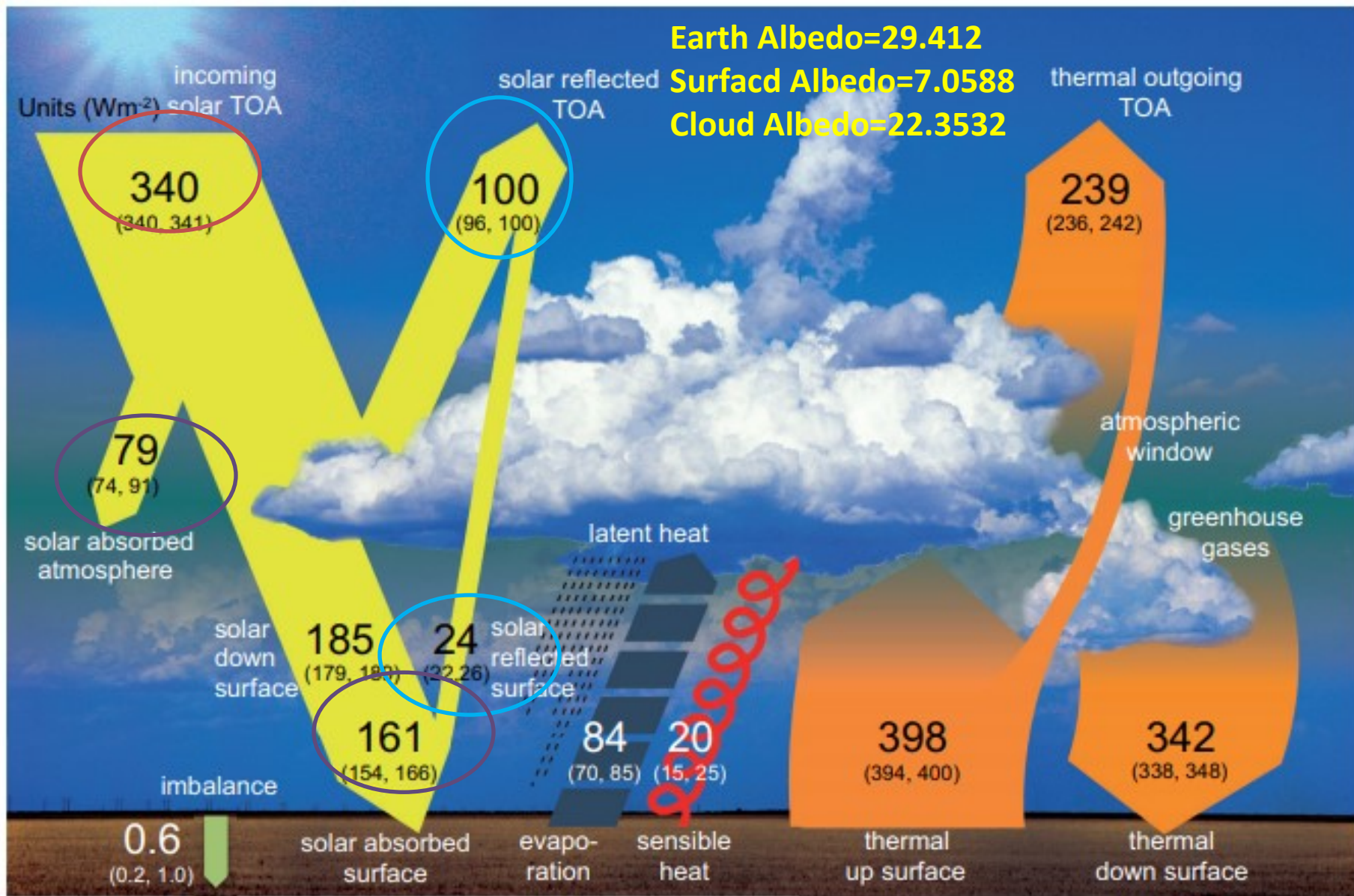


Radiation IN = Radiation OUT

- 161 into Earth + 79 Absorbed by Clouds=240
- This is short wavelength solar radiation
- Now it gets absorbed & convert to Long wavelength infrared radiation going out
- $\{84 + 20 + 56 + 79 + 0.6\}_{IN} W/m^2 = 239.4 W/m^2$



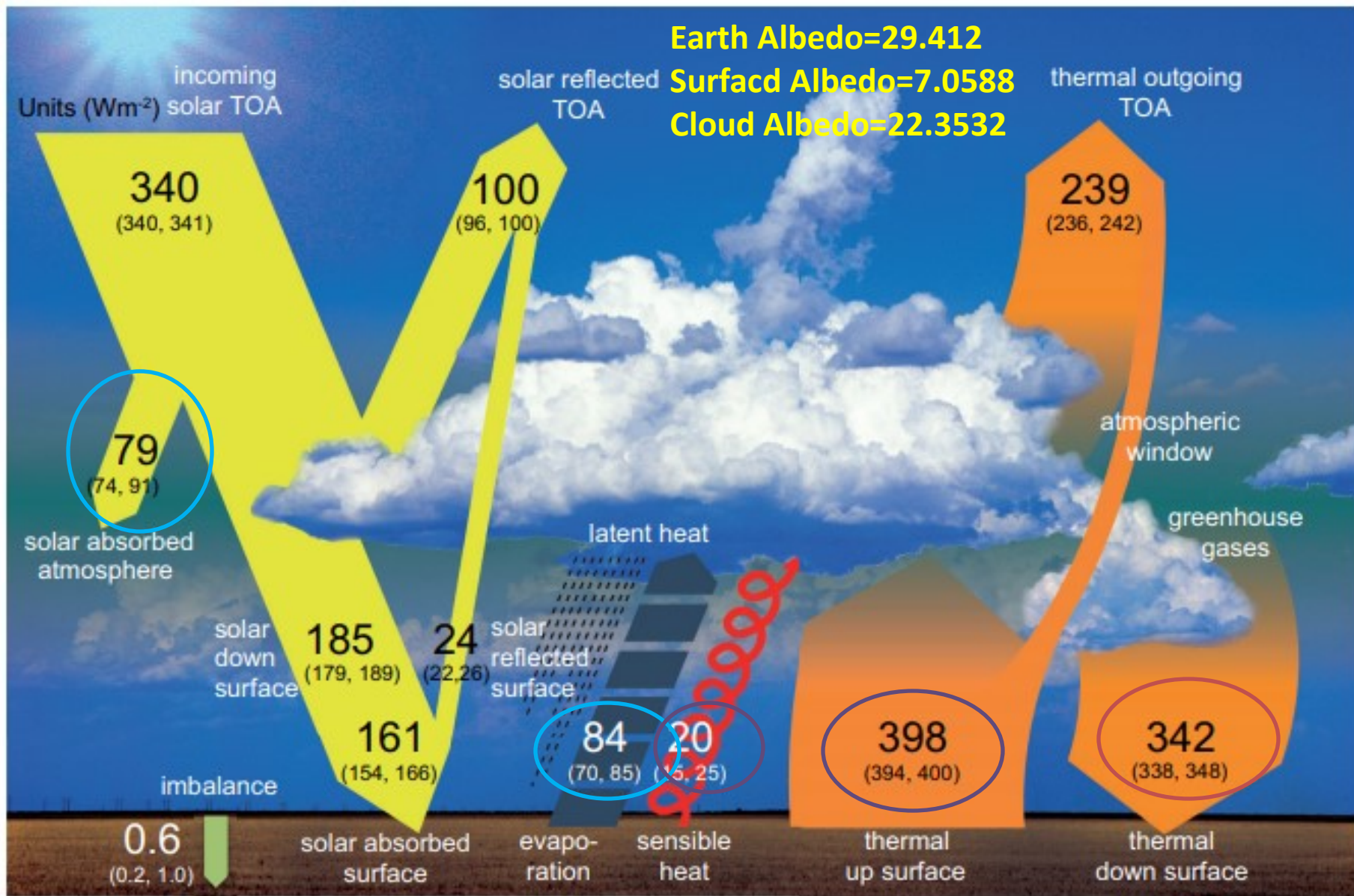
IPCC Earth Energy Budget 2013 Albedos



Radiation IN = Radiation OUT

- $OLR = P_{\text{therm_up}} + P_{\text{evap}} + P_{\text{sen_heat}} + P_{\text{atm}} - P_{\text{therm down}}$
- $239 = 398 + 84 + 20 + 79 - 342$
- $239 = 56 + 84 + 20 + 79$
- $P_{\text{GHG}} = P_{\text{therm_down}} - P_{\text{atm}} = 342 - 79 = 263$
- IPCC model GHG power ratio of whole is
- $f_{\text{GHG}} = 263/398 = 0.66$ according to IPCC
- This model ratio of whole where whole is 239
- $f_{\text{GHG}} = P_{\text{GHG}}/OLR = 148/239 = 0.62$ This model
- About same but ours is more accurate and has the true physics

IPCC Earth Energy Budget 2013 Albedos



IPCC Albedo & Absorbed Values

IPCC Earth energy budget values (Hartmann et al., 2013)

| IPCC Item | Reflected (W/m ²) | Albedo % | Absorbed (W/m ²) |
|----------------------|-------------------------------|----------|----------------------------------|
| Solar Incident Power | | - | |
| Earth | 100/340 (240) | 29.4118 | 240=340x(1-.294) |
| Atmosphere & Clouds | 76/340 | 22.3529 | 79* (29.4-22.4)/29.4 x 240=57 |
| Earth Surface Albedo | 24/340 (161) | 7.0588 | 161 (29.4-7.1)/29.4 x 240=182 |

Convert Energy to Temperature

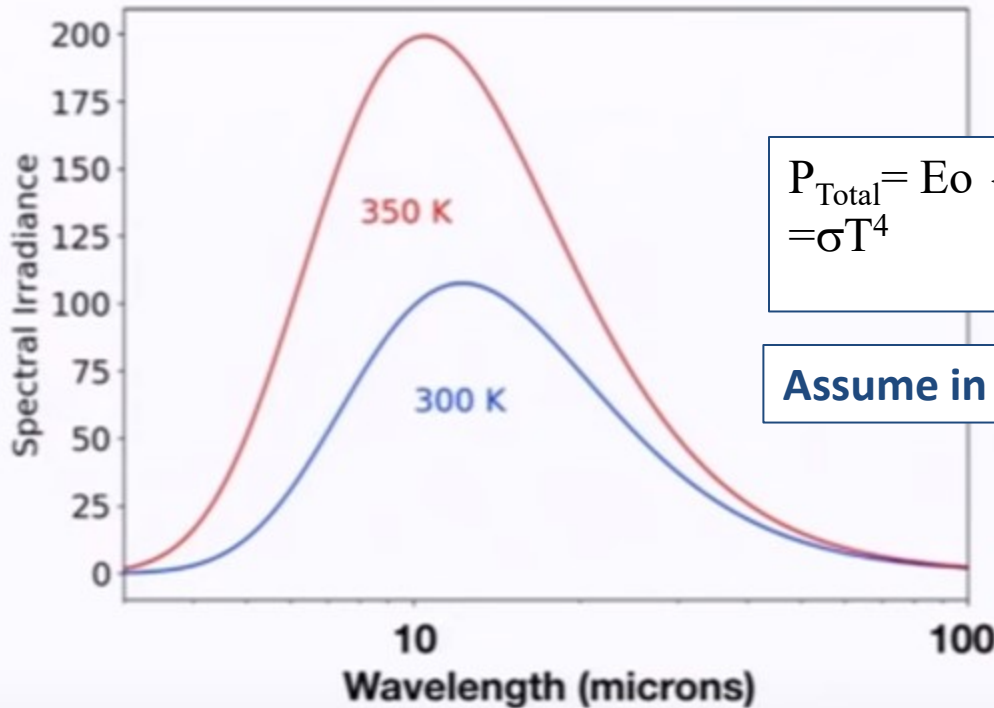
Black Body Radiation

& DfRSoft Simplified Model

$$P_{total} = \sigma T^4 \quad \text{Watts/meter}^2$$

Stefan-Boltzmann law

$$\sigma = 5.670367 \times 10^{-8} \text{ W} \cdot \text{m}^{-2} \cdot \text{K}^{-4}$$



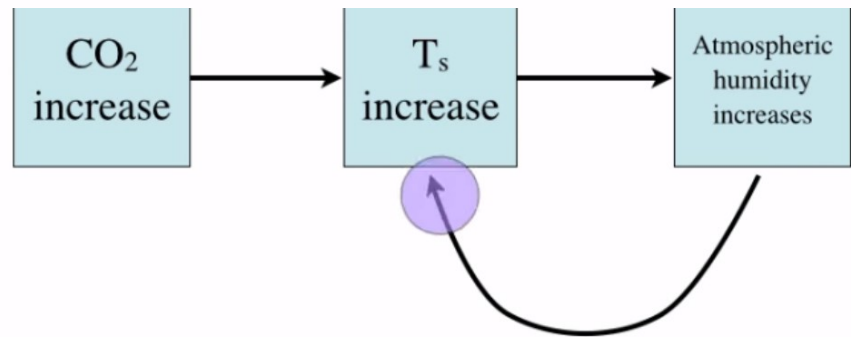
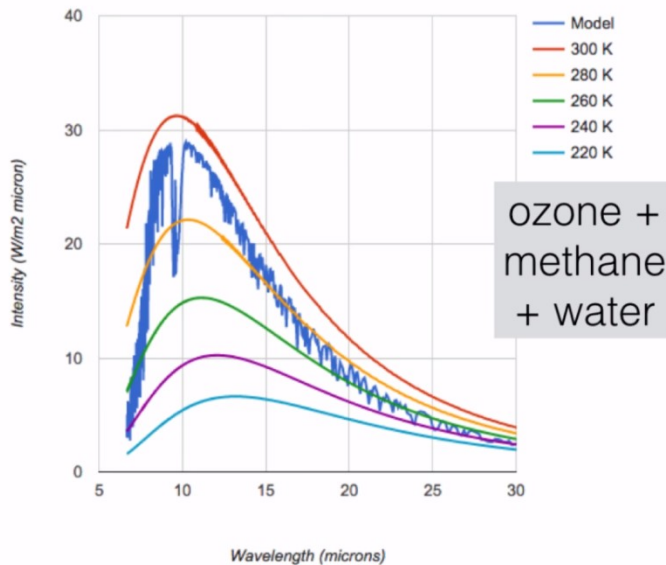
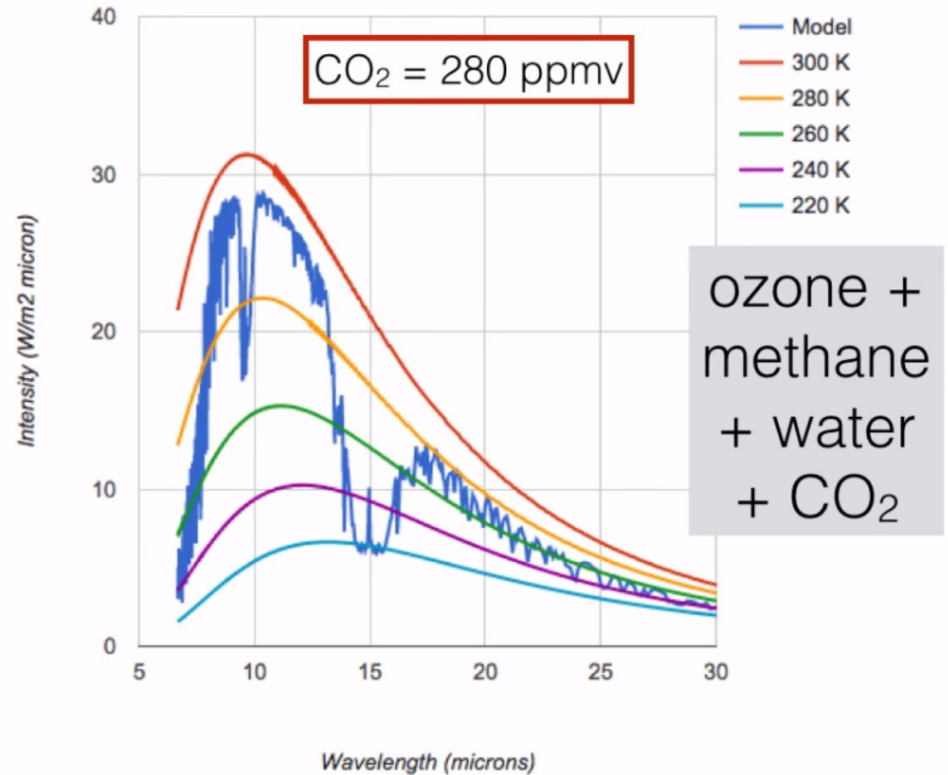
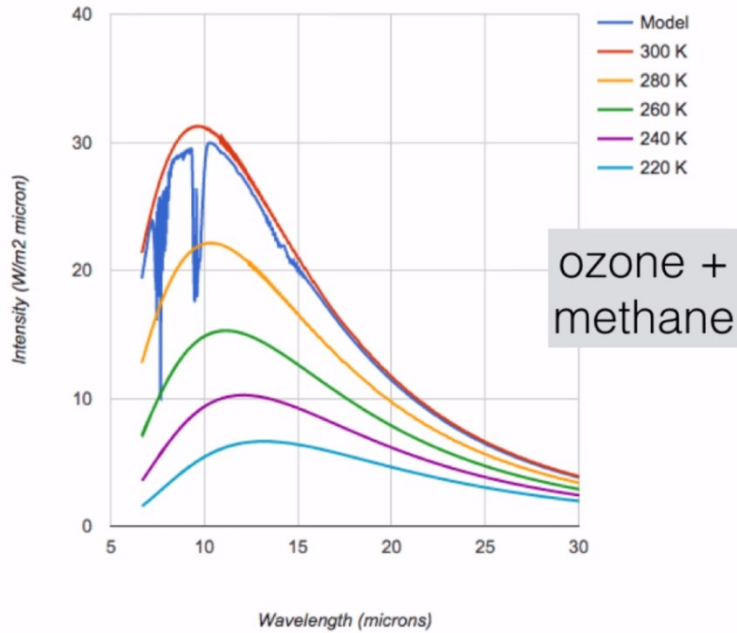
Neglecting Fossil Fuels DfRSoft Model:

$$P_{Total} = E_0 \{0.25 \times (1 - \text{Albedo})\} (1 + f_{\text{Greenhouse Energy}})$$

$$= \sigma T^4$$

Assume in 1950 No forcing or feedbacks like ice melting

Add Greenhouse Gasses

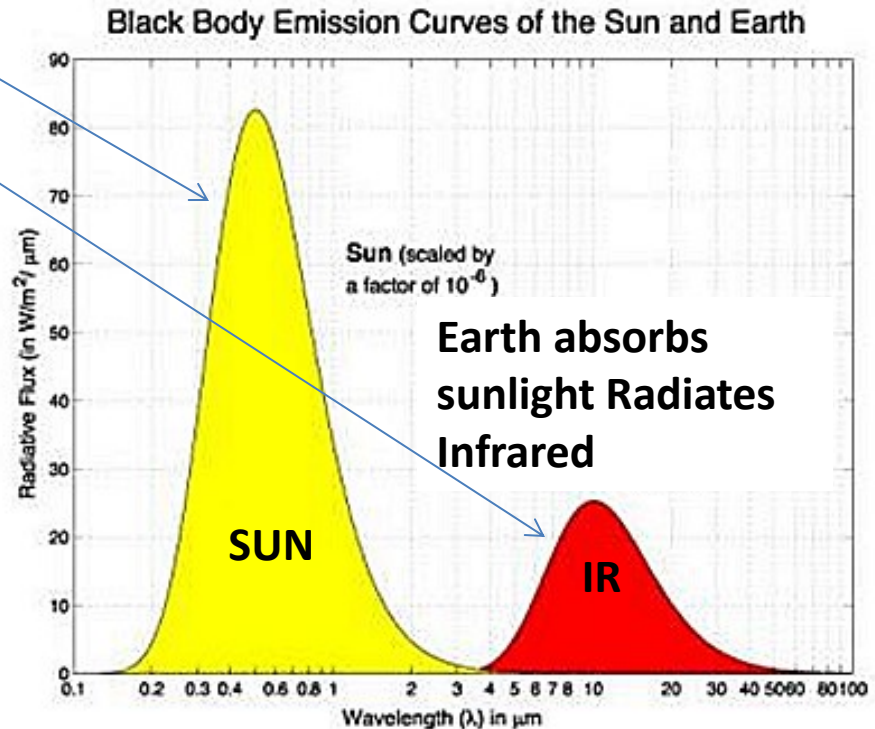


Sun (Solar) Radiation, IR GH gas Absorption

- We note that greenhouse gasses do not absorb sunlight photons, essentially transparent to light.
- However, when the Earth absorbs sunlight, it re-radiates infrared photons (heat), this heat radiation has different wavelengths than the sunlight. In this area.

of the spectrum, the greenhouse gasses can absorb radiation. GH gasses absorb a certain wavelength, then re-emit radiation of the same wavelength in arbitrary directions, some back to Earth and some to outer space.

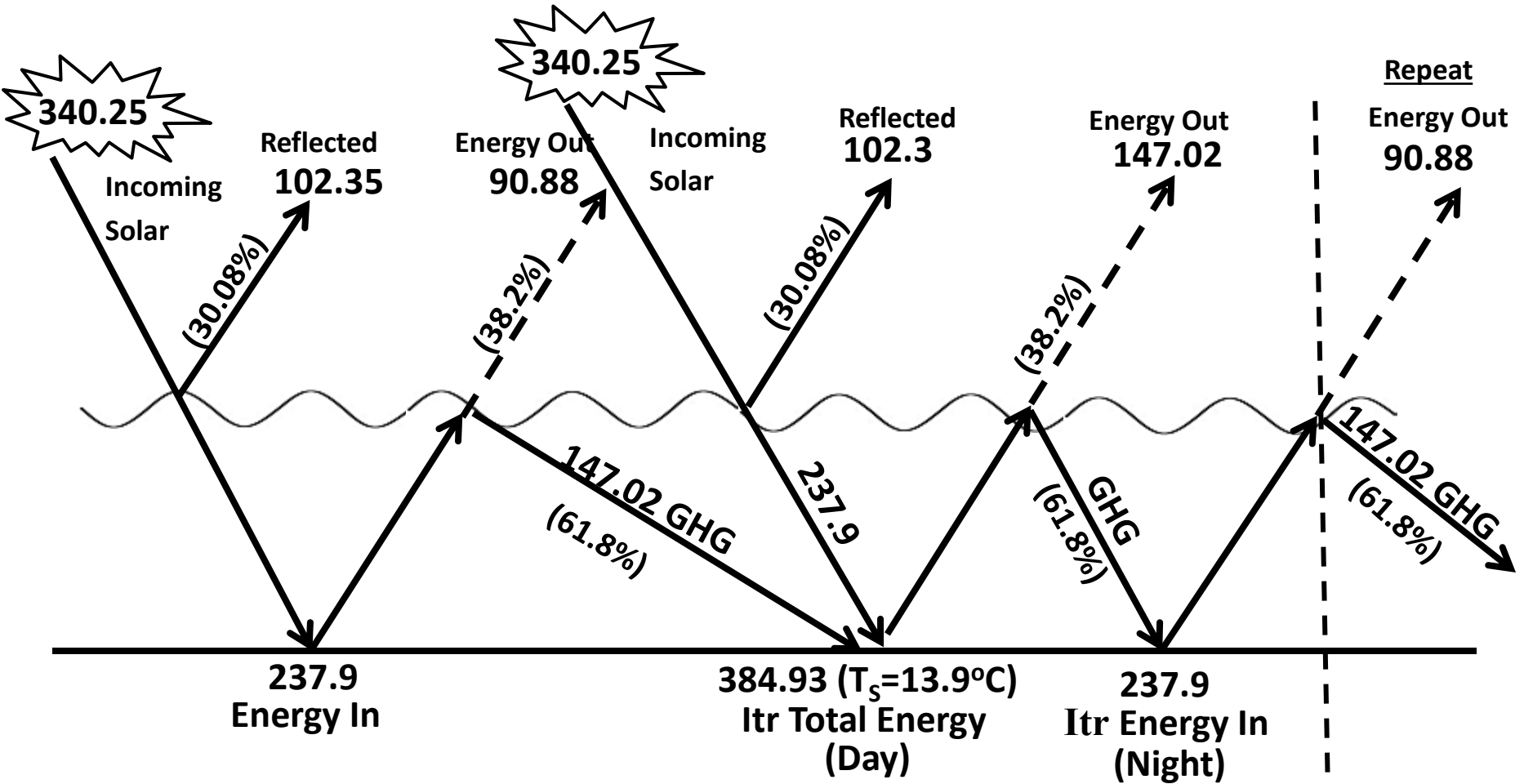
Dr. Alec Feinb



Energy Balance in=Our : 1+f Factor

- Plain Language
- Consider the Earth with a roof. The roof represents the GHGs over the Earth and only allows 40% of any energy leaves with the rest returning to Earth. Sunlight comes in, and some is absorbed and heats the Earth's floor to 255°K (-2.3°F very cold). Let's say it takes 100 units of energy. The heat rises, but only 40 units of energy can leave from the roof, so 60 units come back and warms the Earth's floor to 288°K (57°F average temp of Earth). On average, the Earth's floor is heated by a total of (1+f) 160 units. The sun keeps warming the Earth's floor at 100 units on average, and the roof keeps sending back 60 units. So the roof is responsible for 60 units on average of energy, and the Earth's floor is warmed by 160 units on average.
- How much heat leaves in equilibrium? Of the 100 units of energy absorbed and radiated, the initial 40 units left. As well, the Earth's floor received a total of 160 units, but the roof only let 40% leave that's another 64 (=0.4 x 160) units of energy leaving. The total leaving is 104 units in equilibrium, so roughly 100 units comes in and almost same goes out. This estimate can be refined to f=61.8% . Then, 100 units are absorbed and radiated, so 38.2 units initially leave, and 61.8 units is re-radiated to the Earth's floor which is now heated to 161.8 units of energy. From this 0.382×161.8 leaves=61.8 units or energy. The total is $61.8+38.2=100$ units of energy leaves and another 100 units, establishing equilibrium. Any eventual difference causes global warming.

1950 Earth's Iterative Energy Balance



Geoengineering Physics Model

- No Forcing

The diagram illustrates the components of the power equation. Two boxes at the top, 'Solar in Absorption' and 'Greenhouse Gas', have arrows pointing to the terms P_α and P_{GHG} in the equation. A third box, 'Re-radiation Factor', has an arrow pointing to the f_1 term in the equation.

$$P_{Total\ 2019} = P_\alpha + P_{GHG} = P_\alpha (1 + f_1) = \sigma T^4$$

**HOW DO WE DETERMINE THE AVERAGE
VALUE OF $f_1=0.618$?**

**We use this for 1950, pseudo time where
we assume no forcint**

Derivation for f_1

The Baseline Steady State Re-radiation Solution-1950

Reference: A Re-radiation Model for the Earth's Energy Budget and the Albedo Advantage in Global Warming Mitigation

We are considering a time when there are *no forcing issues* causing warming trends. Then by conservation of energy, the equivalent power re-radiated from GHGs in this model is dependent on P_α with

$$P_{GHG} = P_{Total} - P_\alpha = \sigma T_S^4 - \sigma T_\alpha^4 \quad (6)$$

To be consistent typically $T_\alpha \approx 255^\circ\text{K}$ and $T_S \approx 287^\circ\text{K}$, (see Table 3 results) then in keeping with a common definition of the global beta (the proportionality between surface temperature and emission temperature) we have $\beta \approx T_\alpha/T_S = \underline{T_e}/T_S$.

This allows us to write the dependence

$$P_{GHG} = \sigma T_S^4 - \sigma T_\alpha^4 = \frac{\sigma T_\alpha^4}{\beta^4} - \sigma T_\alpha^4 = \sigma T_\alpha^4 \left(\frac{1}{\beta^4} - 1 \right) = \sigma T_\alpha^4 \left(\frac{1}{\bar{f}} - 1 \right) \quad (7)$$

Note that if $\beta^4=1$, there would be no GHG effect. Here we set \bar{f} , the re-radiation parameter equal to β^4 . We can also define the re-radiation similarly by some fraction f_1 such that

$$P_{GHG} = \bar{f}_1 P_\alpha = \bar{f}_1 \sigma T_\alpha^4 \quad (8)$$

According to Equations 7 and 8, we require

$$P_{GHG} = \sigma T_\alpha^4 \left(\frac{1}{\bar{f}} - 1 \right) = \bar{f}_1 \sigma T_\alpha^4 = \bar{f} \sigma T_\alpha^4 \quad (9)$$

When $\bar{f} = \bar{f}_1$ the solution is derived from the quadratic expression

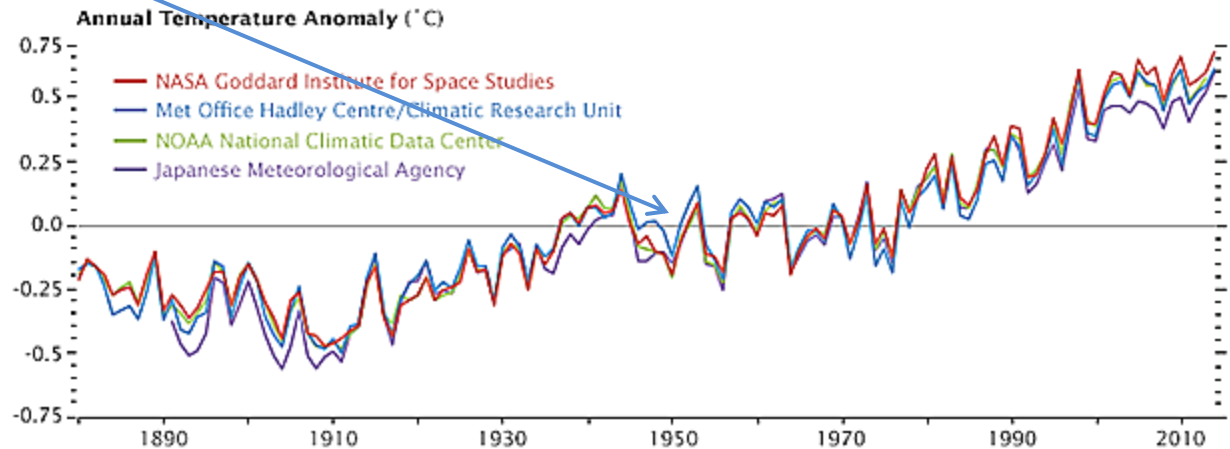
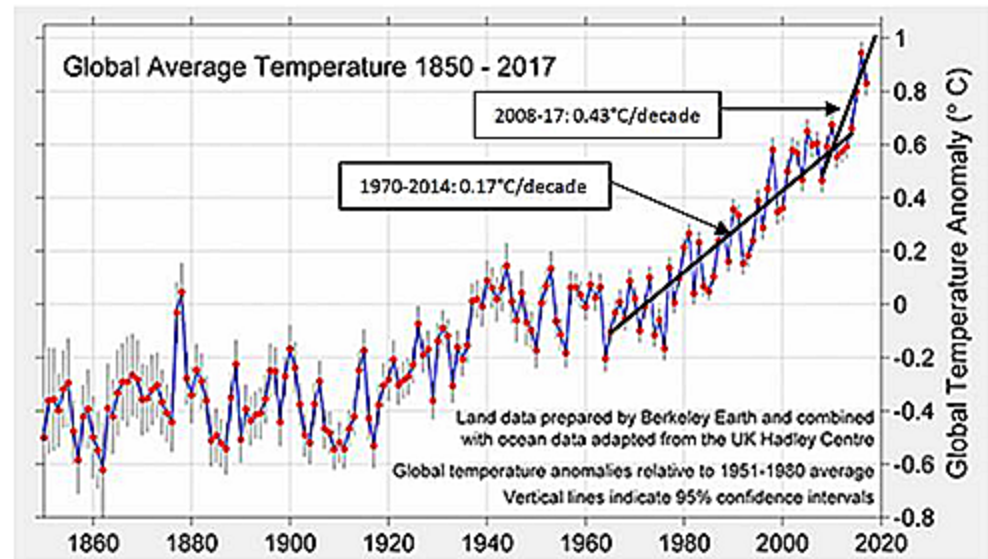
$$\bar{f}^2 + \bar{f} - 1 = 0 \text{ yielding } \bar{f} = 0.618034 = \beta^4, \beta = (0.618034)^{1/4} = 0.88664 \quad (10)$$

This is very close to the common value estimated for β and it was obtained through energy balance in the planetary system providing a non-series exact solution per Eq. 10. This is the unique stable baseline re-radiation state illustrated in Figure 1. Although the atmosphere is dynamic and other non-forcing alternate states can exist, we use this value for the optimum repeatable baseline steady-state GMEEB re-radiation solution. This steady-state solution may be the lowest thermodynamic re-radiation free energy condition (see next section).

Review Earth Energy Budget and Temperature in 2019

Global Warming Trend

- A 0.95°C Rise Corresponds to a 1.7°F Rise
- 1950 Average Temp 57°F
- 2019-2020 Average Temp = 58.73°F



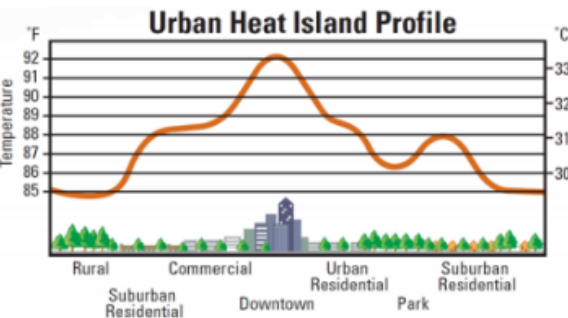
Review Earth Energy Budget and Temperature in 2019 Since industrial revolution

2019 - How do we Know Temperature Has Increased?

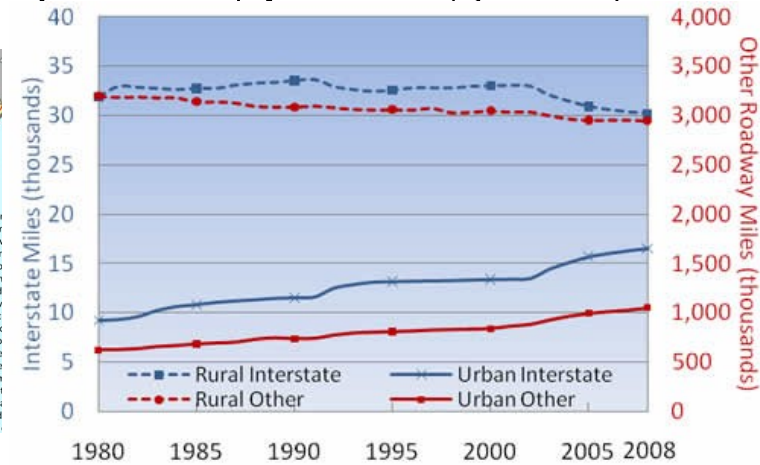
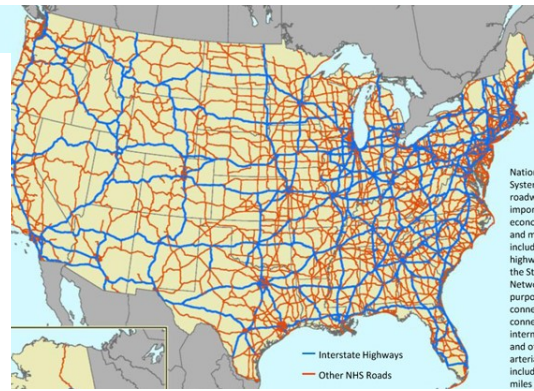
- Surface thermometers
- Satellite temperatures
- Ice is melting
- Ocean heat is increasing
- Sea Levels are Rising

Earth Albedo In Decline

- When cities replace natural vegetation, the area usually becomes much hotter. Climatologists call this effect an **urban heat island**. Other Major factors most obvious is pollution and Asphalt (Albedo=.04) roads, parking lots, buildings etc.



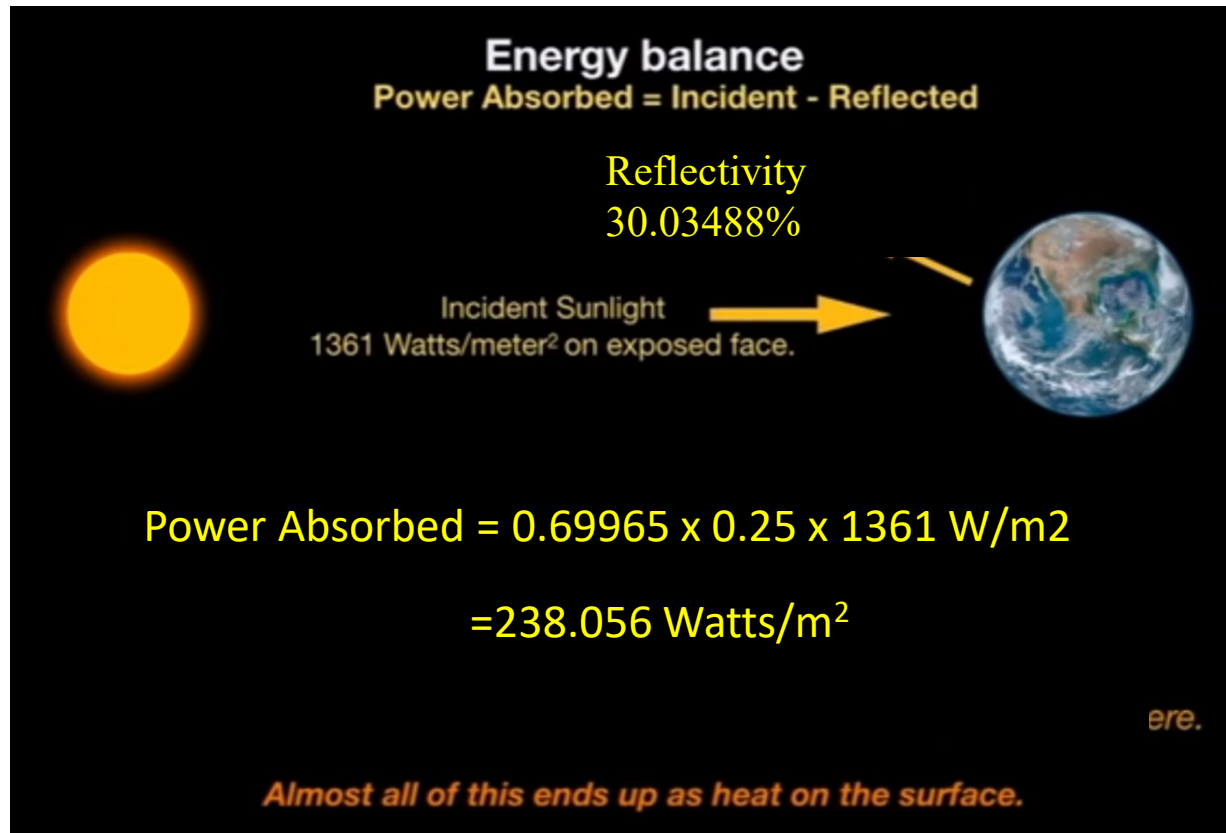
EPA, 2003



- Cities of > million people can be 1-3°C (1.8-5.4°F) warmer
- Arctic ice is melting about 13% per decade (Albedo=0.6) on the planet is melting to 0.06. Less energy is reflected into space, and the Earth will warm.

Energy Budget Calculation 2019

(First No Greenhouse Gases but Some Albedo Issues)



❖ Here we make add a slight change by decreasing the Average Earth Albedo by 0.15%. There is reason to believe it is less in 2019 compared to 1950 due to ice melting, Cities, Asphalt roads.

2019 More Complex

- 2019 We Have both Forcing & Feedback

| | |
|--|--|
| Global Warming Causes → | Population Increase Causes → Forcing Increases in Greenhouse Gas Albedo Decrease - Expanding Urban Heat Islands (UHI) & Roads |
| Global Warming Feedback Amplification Effects → | Response to forcing: Ice and Snow Melting – Albedo Feedback Water-Vapor Feedback, Lapse Rate Feedback, Cloud Feedback, etc. |

Physics Model for 2019

- Forcing

$$P_{Total\ 2019} = P_{\alpha'} + P_{GHG'} = P_{\alpha'}(1 + f_2)$$

- Feedback Amplification Factor A_F

$$P_{Total\ 2019\ \&\ Feedback} = P_{1950} + (P_{2019} - P_{1950}) A_F = \sigma T_S^4$$

Forcing Part 2019

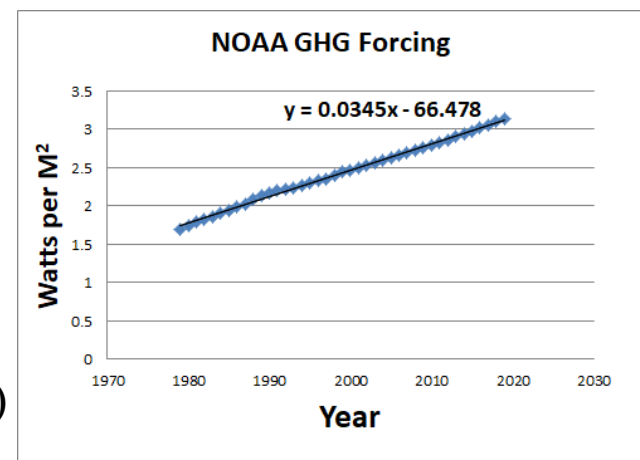
- We assume a small change in the albedo P_{α}'
- $\alpha_{2019}=0.3003488$, $\alpha_{2019}=0.3008$
 - This is a 0.15% change, very small
- $P_{\alpha'=1019\alpha}=(1-0.3003488) \times (1361 \text{ W/m}^2 \times 0.25)$
 $P_{\alpha'=1019\alpha}=238.056 \text{ W/m}^2$

Forcing Part 2019

- Then f_2 is adjusted to the IPCC GHG forcing value estimated between 1950 and 2019 of $2.38\text{W}/\text{m}^2$.
- How I got the $2.38\text{W}/\text{m}^2$
 - NOAA Data plotted it and fitted it then extrapolated from 1950 to 2019

| Year | PPM |
|------------|--------|
| 2019 | 3.1775 |
| 1950 | 0.797 |
| Since 1950 | 2.3805 |

(<https://www.esrl.noaa.gov/gmd/aggi/aggi.html>)



Physics Model for 2019

- Forcing

$$P_{Total2019} = P_{\alpha'} + P_{GHG'} = 238.056 + \left(P_{GHG_1950} + \Delta P_{GHG_2019} \right)$$

147.0239 + 2.381 = 149.404

$$= 238.056 + 149.404 = 387.4605 W / m^2 = P_{\alpha'} (1 + f_2) = 238.056 (1 + 0.6276)$$

$$P_{Total2019} = 387.4605 W / m^2 \quad \text{Note } f_2 = 0.6276$$

- Feedback Amplification Factor $A_f = 2.022$

$$P_{Total2019\&Feedback} = P_{1950} + (P_{2019} - P_{1950}) A_F = \sigma T_S^4$$
$$= 384.9267 + (387.4605 - 384.9267) 2.022 = 390.0499$$
$$= \sigma T_S^4, \quad T = 287.989^\circ K, \quad \text{or } \Delta T = 0.95^\circ C$$

Basic Physic Simplified 2019

$$\text{Earth Heating} = P_{\text{total}} = (1+f_2) P_{\alpha'} = 1.6271 P_{\alpha}$$

What is f_2 and $P_{\alpha'}$

- $P_{\alpha'}$ = Due to small decrease in Earth albedo (explained soon), Earth absorbs bit more less reflective by only 0.15%
- Here Δf is due to increases in GHGs (primarily CO2)
- How do we find $f_2=0.6271$?
- We use IPCC estimates between 1950 and 2019 for GHG increase in terms of Power.
- $P_{GHG}=2.38W/m$
- Reference: Butler JH, Montzka SA, (2020) The NOAA Annual Greenhouse Gas Index, Earth System Research Lab. Global Monitoring Laboratory, <https://www.esrl.noaa.gov/gmd/aggi/aggi.html>
- Adjust f_2 to fit this data
- $P_{\alpha'}=1361W/m^2/4(1-0.3003488)=238.056W/m^2$

$$P_{Total\ 2019} = P_{\alpha'} + P_{GHGin1950} + \Delta P_{GHG'}$$

$$= 238.056 + 147.02 + 2.38 = 387.46W / m^2$$

$$f_2 = f_{2019} = f_1 + \Delta f = \beta_1^4 + \Delta f \approx \beta_2^4 + \Delta f$$

Dr. Alec Feinberg, DfRSoft

Summary

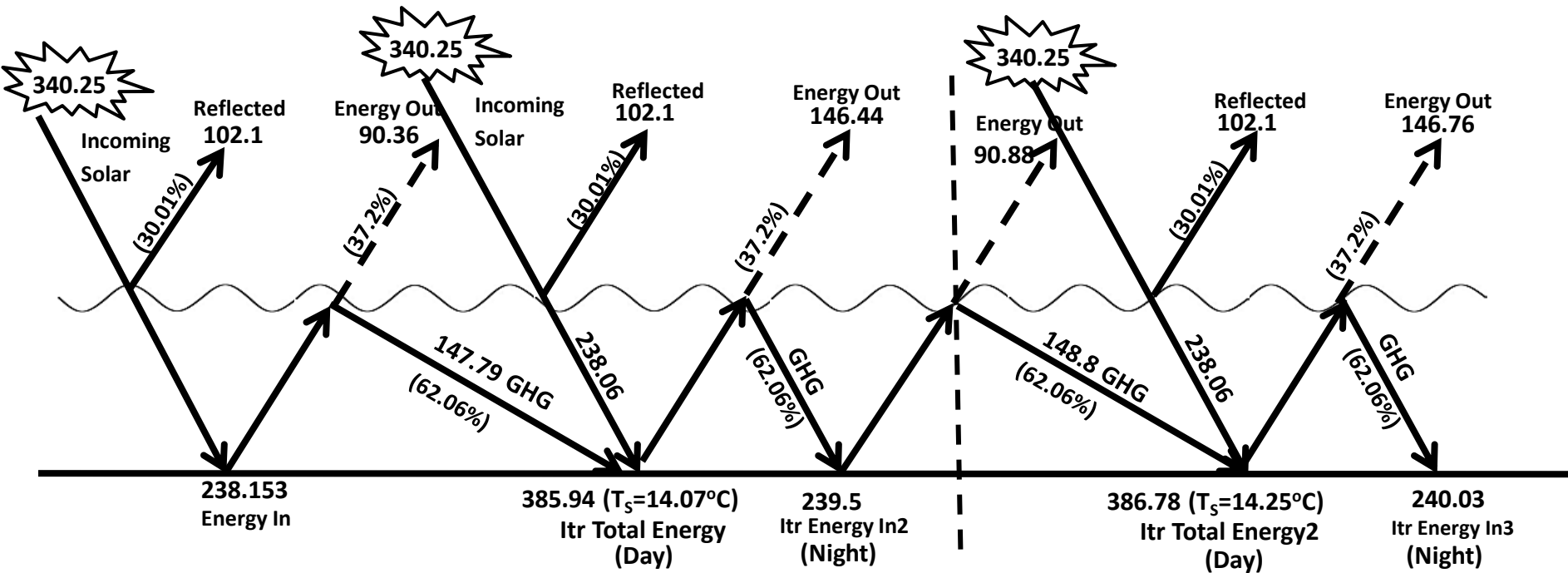
| Year | T _s (°K) | T _α (°K) | f ₁ , f ₂ | α, α' | Power Absorbed W/m ² | P _{GHG'} P _{GHG} | P _{Total} W/m ² |
|---|---------------------|---------------------|---------------------------------|----------------|------------------------------------|---------------------------------------|--|
| 2019 | 287.5107 | 254.55 | 0.6276 | 30.03488 | 238.056 | 149.4041 | 387.4605 |
| 1950 | 287.0395 | 254.51 | 0.6180 | 30.08 | 237.9028 | 147.024 | 384.9267 |
| Δ2019-1950 | 0.471 | 0.041 | 0.0096 | (0.15%) | 0.15352 | 2.38 | 2.53 |
| Δ_{Feedback} A_F=2.022 | 0.95 | 0.083 | - | - | 0.3104 | 4.81 | 5.12 |

$P_{\text{Total}} = 384.935 \text{ W/m}^2 = \sigma T^4$

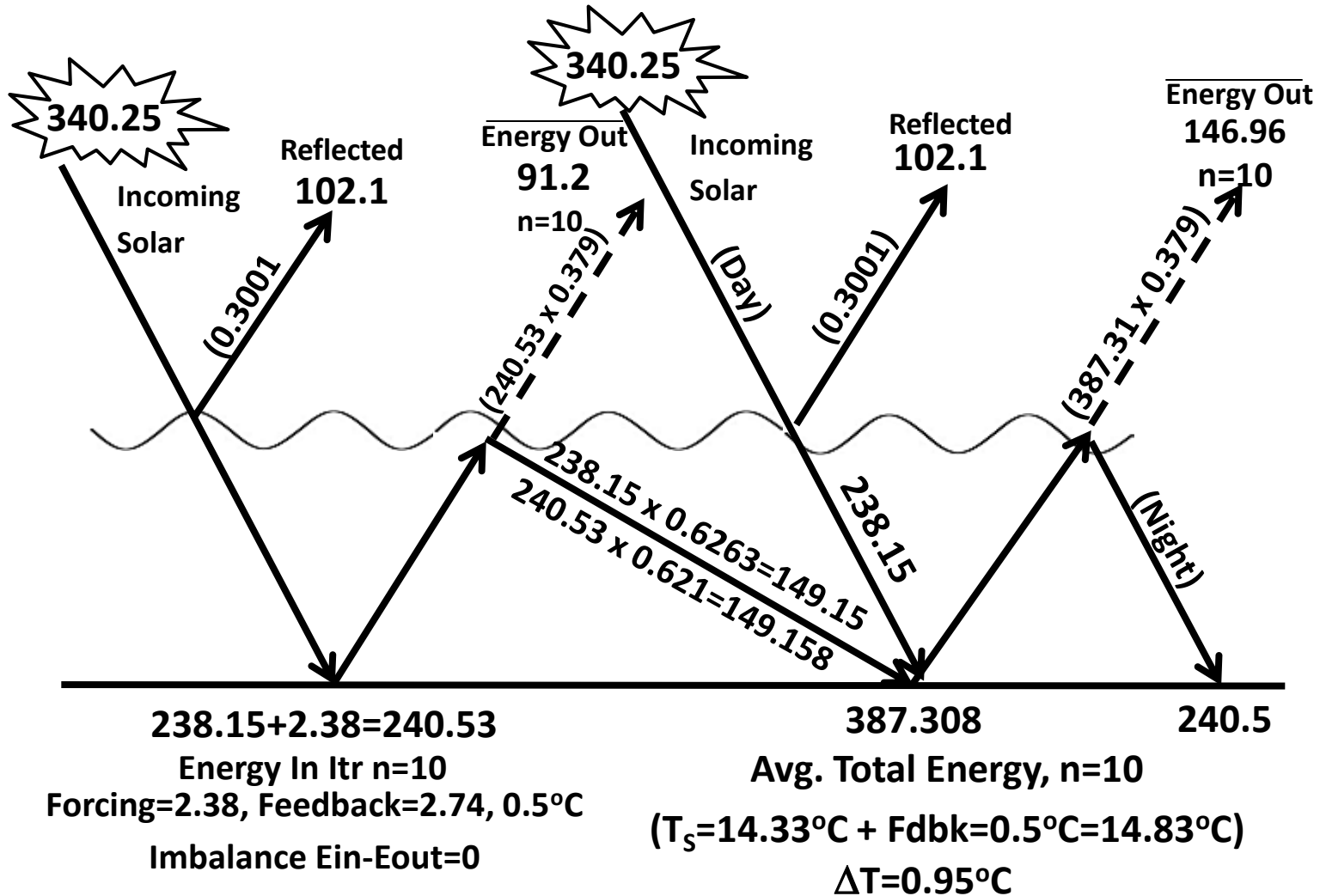
 $T_{\text{Surface}} = 254.51 \text{ K} = 13.89 \text{ C} = 57 \text{ F}$ for 1950

| Year | Surface Temp (K) | Surface Temp (C) | Surface Temp (F) | f1 f2 | Alpha 1950 | Power Absorbed 1361/4(1-albedo) W/m ² | Temperature Without GHGs Albedo (K) | GHG Power (W/m ²) | Total Power GHG (W/m ²) |
|-------------|------------------|------------------|------------------|---------------|------------------|--|--|-------------------------------|-------------------------------------|
| 1950 | 287.040 | 13.890 | 57.001 | 0.6180 | 0.3008 | 237.9028 | 254.51 | 147.0239 | 384.9267 |
| 2019 | 287.511 | 14.361 | 57.849 | 0.6276 | 0.3003488 | 238.056 | 254.55 | 149.4041 | 387.4605 |
| Key Deltas | 0.47119 | 0.47119 | | 0.00960 | 0.15% | 0.15 | 0.041 | 2.38 | 2.53 |
| Feedback | 0.9527 | 0.9527 | | | - | 0.3104 | 0.083 | 4.81 | 5.12 |

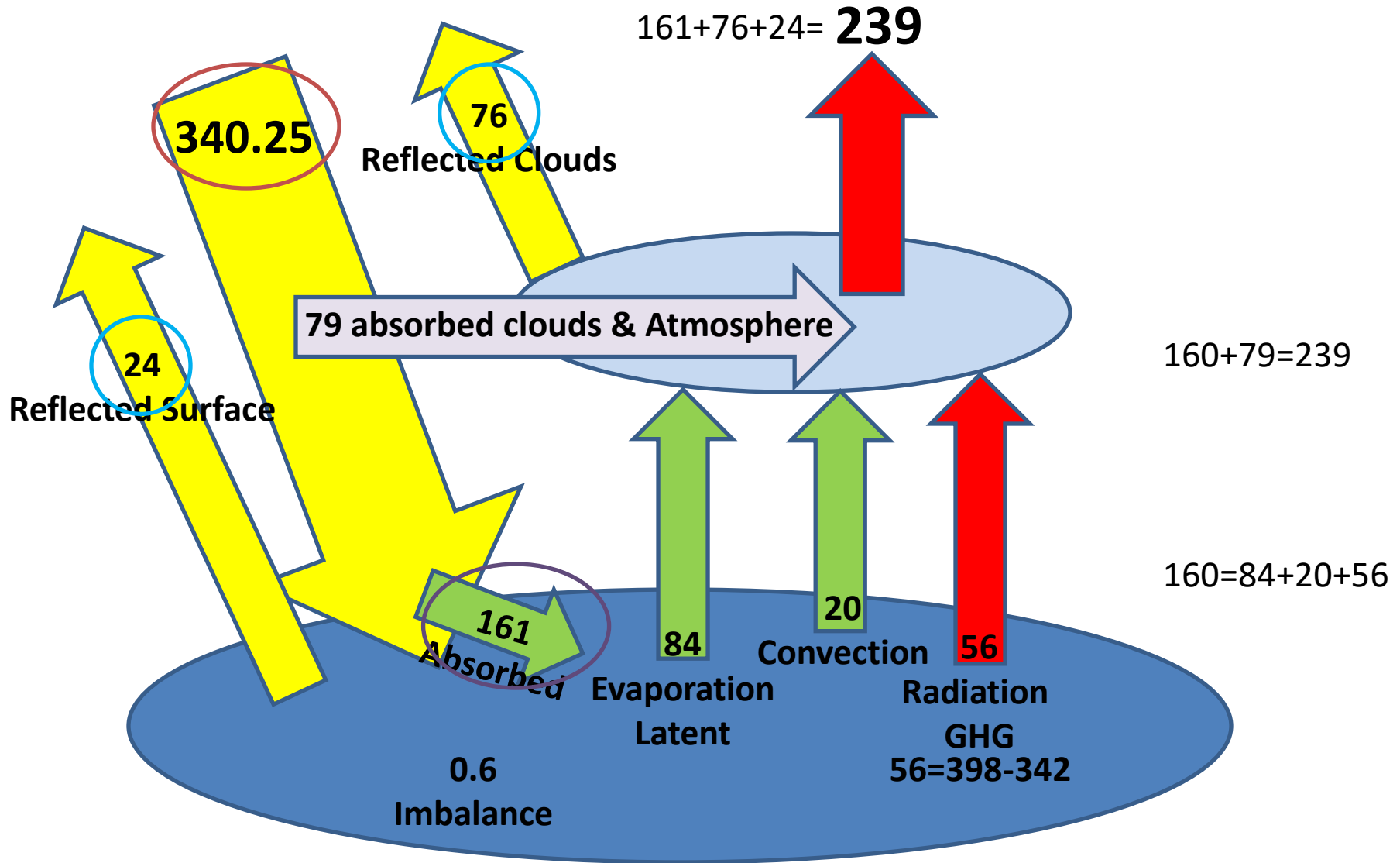
2019 Earth's Energy Imbalance



2019 Average Earth's Energy Balance



Simplified Diagram of 2013 IPCC



Part 2

Solar Geoengineering Equation 1

- Note the following important Geoengineering parameter (From Summary Table

$$\gamma_{\% \Delta \alpha \Delta T} \approx \frac{\Delta \text{Power Absorbed}}{\Delta \text{Albedo}\%} = \frac{0.15352}{0.15\%} = 1.02 \text{ W} / \text{m}^2 / \% \text{ Albedo}$$

- We can prove this as a valid parameter

$$\gamma_{\% \Delta \alpha} = \frac{\frac{(\Delta E_o)_\alpha}{\alpha_1 - \alpha_2} 100}{\alpha_1} = \frac{E_o (\alpha_1 - \alpha_2)}{\alpha_1 - \alpha_2} 100 = E_o \alpha_1 / 100 \approx 1 \text{ W} / \text{m}^2 / \% \Delta \text{albedo}$$

$E_o = 1360 \text{ W/m}^2 / 4 = 340 \text{ W/m}^2$ and when α_1 is 0.294118, the value is $1.000 \text{ W/m}^2 / \text{D}\% \text{ albedo}$. We note the value 29.4118% ($100 \text{ W/m}^2 / 340 \text{ W/m}^2$) and E_o are given in AR5 in their energy budget diagram.

Geoengineering Equation 2

- We can prove this intuitive expression

$$\Delta P_{\text{Rev}_S} = -\gamma_{\% \Delta \alpha \Delta T} \% \Delta \alpha (1 + f_1) A_F = -\Delta P_T (1 + f_Y) A_F$$

Here we define

/

ΔP_{Rev_S} is the reverse power per unit area change

$\% \Delta \alpha$ is the percent global albedo change due to modification of a target area

$\gamma_{\% \Delta \alpha \Delta T}$ = Planck-albedo parameter, 1Watt/m²/‰Albedo

$1+f_1$ = the albedo-GHG re-radiation parameter where $f_1=0.618$

A_F is an estimate of the anticipated GW feedback amplification reduction factor

$\Delta P_T = \gamma_{\% \Delta \alpha \Delta T} \% \Delta \alpha$ is the reverse forcing change from the target area T

Example 1.5% Global Albedo Change

- Consider a 1.5% global geoengineering albedo change, with $f_1=0.618$ and a decrease in water-vapor climate feedback anticipated, we use the Earlier value of $A_F \approx 2.022$.

$$\begin{aligned}\Delta P_{\text{Rev}_S} &= -1 \text{ W/m}^2 / \% \times 1.5 \% \times (1+f_1) \times 2.022 = -\Delta P_T (1+f_Y) A_F \\ &= -1.5 \text{ W/m}^2 \times (1+0.618) \times 2.022 = -4.91 \text{ Watt/m}^2\end{aligned}$$

$$\text{Effect} = \frac{4.91 \text{ W / m}^2}{5.12 \text{ W / m}^2} = 95.8\% \quad \Delta P_T = -1.5 \text{ W / m}^2$$

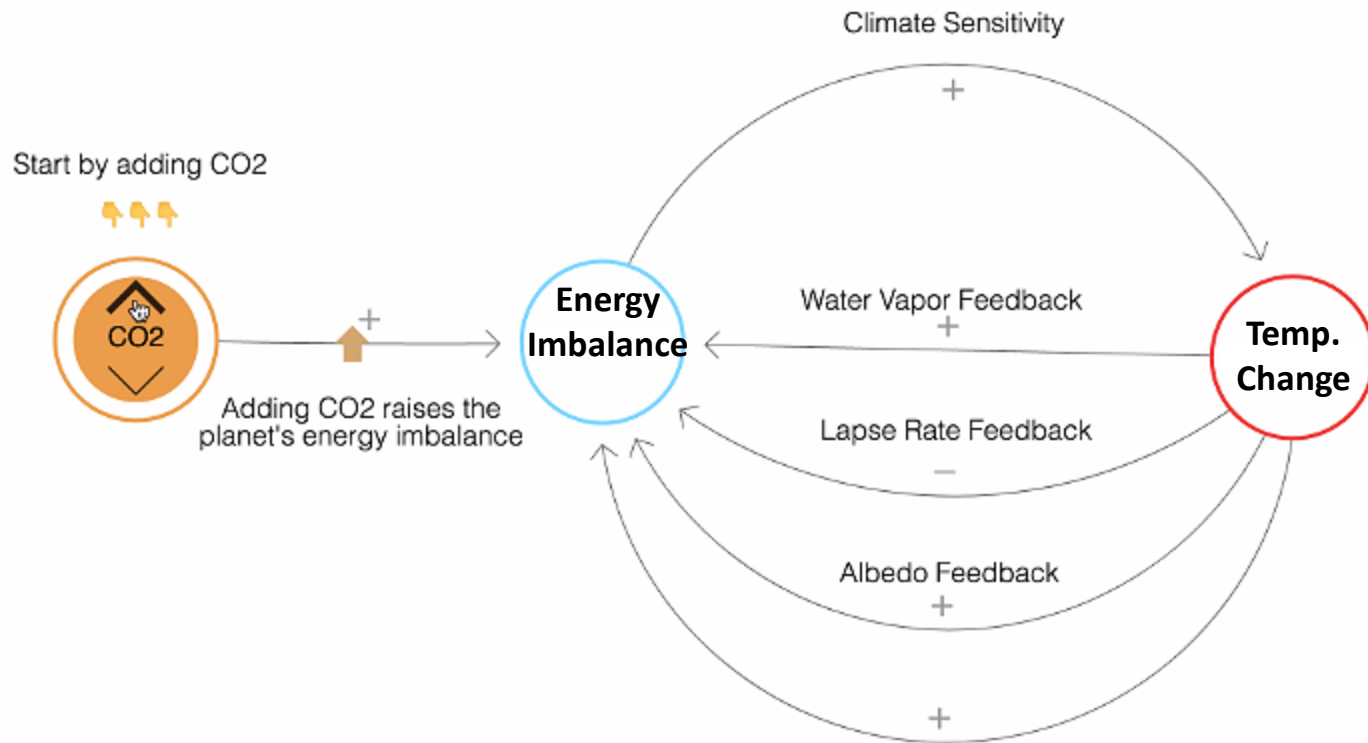
Albedo Model

$$\Delta P_T = \frac{S_o}{4} \frac{0.33 A_T H_{T-N}}{A_E} [(\alpha'_T - \alpha_T)] = \Delta P_T$$

- H_{T-N} hotspot irradiance sensible heat storage potential, a function of the heat capacity, mass, temperature storage, and solar irradiance.
- A_E is the surface area of the Earth
- A_T target effective area
- α_T target albedo, α'_T Modified arget albedo

Feedback – Amplification

- Climatologist View



Feedback – Amplification

- My Suggested Changes

